

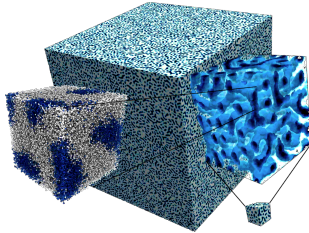
SOMA: Scaling Soft Polymers to many GPUs via OpenACC

With Applications to Battery Electrolytes

Institute for Theoretical Physics, Georg-August University Göttingen

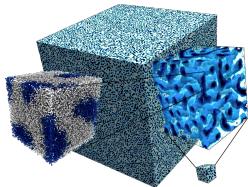


February 11, 2020



Why are complex polymer melts interesting?

Self-assembled nanostructures



Appealing HPC object to study



L. Schneider and M. Müller, Comput. Phys. Commun. **235C**, 463–476 (2019)

Applications

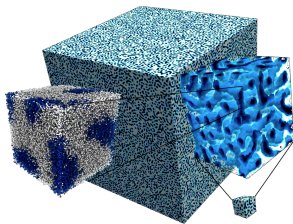
- ▶ battery materials
- ▶ molecular sieves
- ▶ micro electronics

HPC implementation

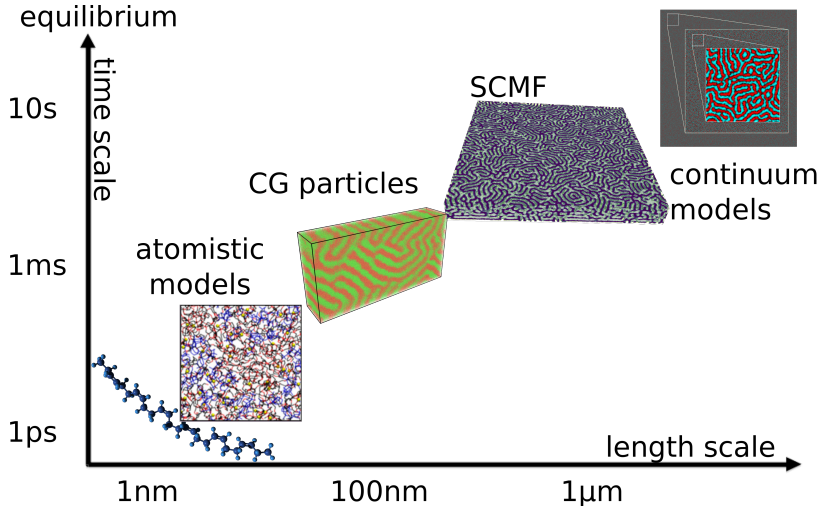
- ▶ polymers are fractal objects
- ▶ straightforward coarse-graining
- ▶ short-range vs. long-range phenomena

Overview

- 1 How to model and simulate engineering scale polymer melts?
 - Why OpenACC for GPUs?
 - Slow, weak interactions via fluctuating fields
 - Parallel hierarchy for strong interactions
 - Detours: implementation quirks
- 2 Large-scale metastable networks: battery electrolytes
 - Goals for electrolyte materials
 - Percolating network structures
 - Diffusive transport properties
- 3 Next steps: modular computing
 - Dedicated analysis server



Hierarchy of coarse-grained models

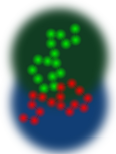


- ▶ omission of atomistic details
- ▶ large length scales
- ▶ long time scales
- ▶ DPD enables hydrodynamics
- ▶ SCMF unlocks engineering scales
- ▶ continuum models would allow full product simulation

Coarse-graining: single bead $\leftrightarrow$ many atoms

Coarse-graining

- ▶ Gaussian chains
- ▶ fewer degrees of freedom
- ▶ **universality**
- ▶ higher parallelism
- ▶ soft interactions



density $\hat{\phi}_A, \hat{\phi}_B$ based Monte-Carlo

- ▶ harmonic bond potential: R_{e0}
 - ▶ $V_h(\mathbf{r}) = \frac{k_2}{2} \mathbf{r}^2$
- ▶ restrain density fluctuations: $\kappa_0 N$
 - ▶ $\mathcal{H}_{\text{fluc.}}[\hat{\phi}_A, \hat{\phi}_B] \propto \int d\mathbf{r} \frac{\kappa_0 N}{2} \left(\hat{\phi}_A(\mathbf{r}) + \hat{\phi}_B(\mathbf{r}) - 1 \right)^2$
- ▶ microphase separation: $\chi_0 N$
 - ▶ $\mathcal{H}_{\text{sep.}}[\hat{\phi}_A, \hat{\phi}_B] \propto \int d\mathbf{r} \chi_0 N \hat{\phi}_A(\mathbf{r}) \hat{\phi}_B(\mathbf{r})$

$$N = 2^{14}$$

$$\Downarrow$$

$$N = 2^7$$



<https://gitlab.com/InnocentBug/SOMA>

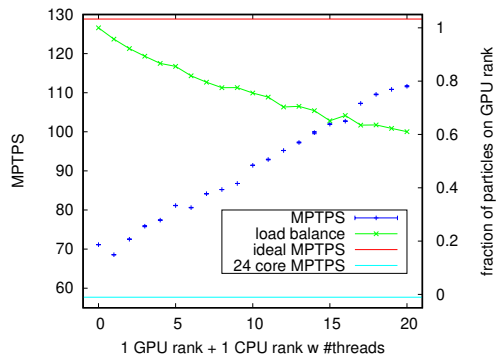
L. Schneider and M. Müller, Comput. Phys. Commun. **235C**, 463–476 (2019)

Why OpenACC?

- ▶ OpenACC:
 - ▶ pragma based accelerator description
- ▶ open standard
- ▶ support for the implementation (GPU-Hackathon)
- ▶ implemented in PGI and partly in GCC
- ▶ CPU and GPU implementation:
 - ▶ single code base
 - ▶ CPU and GPU version work together
- ▶ high acceptance:
 - ▶ modifications only require C

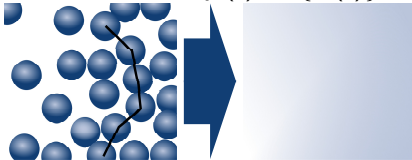
OpenACC

More Science, Less Programming



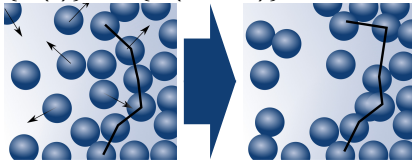
Single-Chain-in-Mean-Field algorithm

- 1 calculate density $\rho(t) \leftarrow \{\mathbf{r}_i(t)\}$



- 2 bond force-biased Monte-Carlo

$$\{\mathbf{r}_i(t)\} \xrightarrow{\rho(t)} \{\mathbf{r}_i(t + \Delta t)\}$$



- 3 repeat

K. C. Daoulas and M. Müller, J. Chem. Phys. **125**, 184904 (2006)

Implementation:

Step 1

- ▶ simple reduction problem
- ▶ non-bonded: calculation on a grid

Step 2

- ▶ bond force-biased Monte-Carlo
- ▶ exact bond energies
- ▶ non-bonded particles are independent

Density field: atomic reductions

- assign particles on a grid: atomic reductions

```

1 #pragma acc parallel loop gang num_gangs(n_polymers)
  #pragma omp parallel for
  for (uint64_t i = 0; i < n_polymers; i++){
4 #pragma acc loop vector
    for (unsigned int j = 0; j < N; j++){
        unsigned int monotype = get_particle_type(...);
7        unsigned int idx = coord_to_index_unified(...);
        #pragma acc atomic update
        #pragma omp atomic
10        p->fields_32[idx] += 1;}}

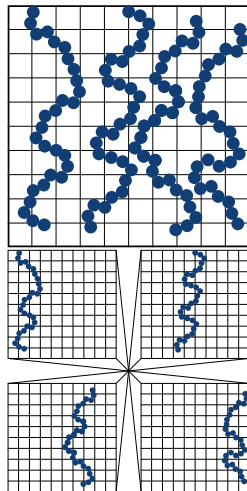
```

- 16-bit MPI communication between GPUs

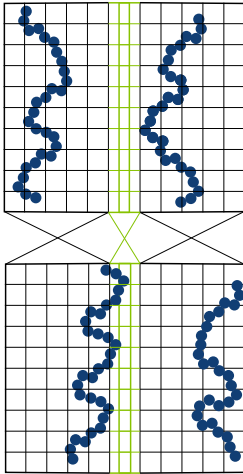
```

  #pragma acc update self(p->fields_unified[:])
2  MPI_Allreduce( ... , MPI_UINT16_T, ... );
  #pragma acc update device(p->fields_unified[:])

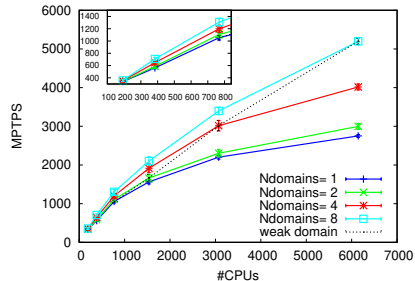
```



What is necessary for engineering scales: spatial domain decomposition!

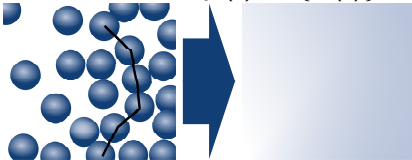


- ▶ less memory per MPI rank
- ▶ all-to-all vs next-neighbor communication
- ▶ engineering scale $nN = 4 \cdot 10^9$
- ▶ communication bound problem
- ▶ linear scaling if constant #CPUs per domain



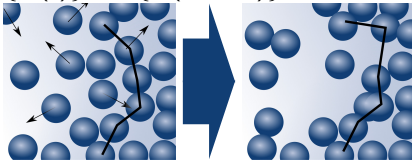
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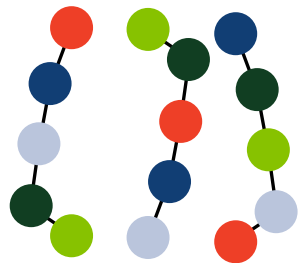
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Step 2

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- ▶ exact bond energies
- ▶ non-bonded particles are independent

GPU parallel level: independent molecules

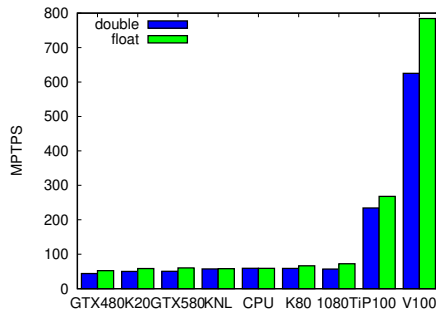
Polymer iteration:



- ▶ same color:
⇒ parallel
- ▶ iterate colors
- ▶ 3 threads
- ▶ 5 iterations

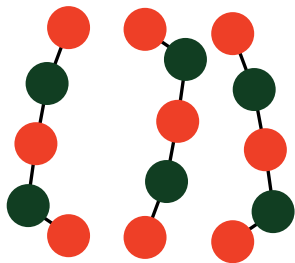
- + simple independent units
- + parallelism scales with system
- large polymers (networks)
- no dynamic bonds

```
#pragma acc parallel loop
#pragma omp parallel for
3 for(uint64_t mol=0; mol < Nmol; mol++){
  #pragma acc loop seq
    for(int mono=0; mono<getN(mol); mono++){
6      const unsigned int i = rng(N);
      smart_MC(i); }}
```



GPU parallel level: independent sets of not-bonded beads

Independent set iteration:



- ▶ higher parallelism
- ▶ 9 (6) threads
- ▶ 2 iterations

- + full utilization of parallelism
- + networks or many nodes
- non-trivial set decomposition
- additional memory and complexity

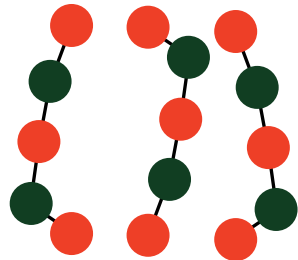
```

#pragma acc parallel loop
2 #pragma omp parallel for
  for (uint64_t mol=0; mol < Nmol; mol++){
    //Generate rdm permutation of the sets
5    //and store result in set_permutation[]

    #pragma acc loop seq
8      for(int i_set=0; i_set < Nsets;
        i_set++){
        const int set_id =
          set_permutation[i_set];
    #pragma acc loop vector
11    for(int i_p=0; i_p < setL[set_id];
      i_p++){
      unsigned int ip = sets[...];
      smart_MC(ip);}}
  
```

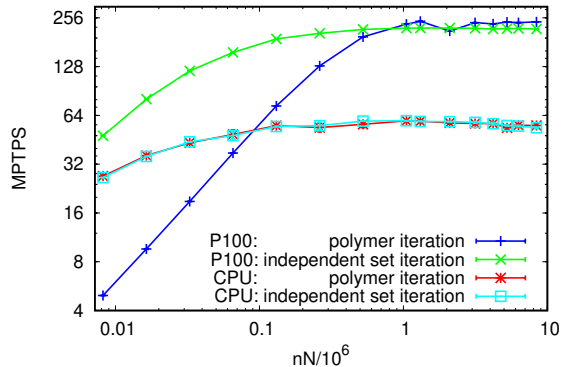

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Pseudo random number definition

Many random numbers in parallel

1 streamable pRNGs

- ▶ 1 seed, multiple streams
- ▶ (small) state of pRNG
- ▶ example: PCG O'NEILL (2014)

2 hash based pRNGs

- ▶ hash time step, thread, seed and ID
- ▶ requires good hash functions
- ▶ example: random123
Salmon, Moraes, et al. (2011)

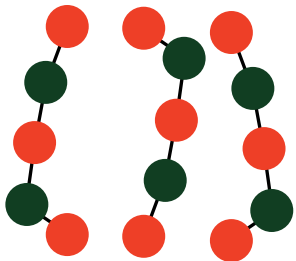
3 precompute random numbers

- ▶ memory intensive
- ▶ number of RNGs must be known
- ▶ example: `curand`

- ▶ SOMA uses PCG32
- ▶ 128 bit state (SOMA is memory bound)
- ▶ number of RNGs per step unknown
- ▶ easy C implementation
- ▶ multiple streams
- ▶ one RNG state per parallel thread
- ▶ SOMA offers other RNG for verification
 - ▶ Mersenne Twister (2504 bytes state)
- ▶ SOMA is offers bit-wise reproducible trajectories
 - ▶ parallel reductions only on integer numbers

Optimized architecture storage

- ▶ SOMA is memory bound
 - ▶ loading RNG state
 - ▶ position access (optimized)
 - ▶ density field access (“random”)
- ▶ reduction of memory access
- ▶ utilize different types of GPU memory



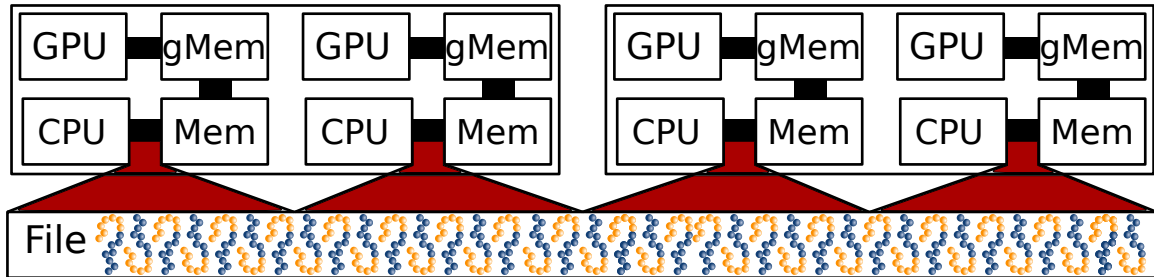
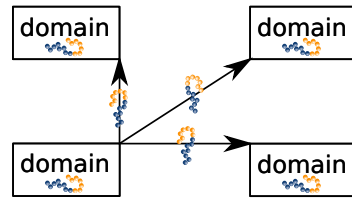
- ▶ typical scenario:
 - ▶ many molecules (polymers)
 - ▶ same bond architecture
- ▶ introduce types of molecules
- ▶ store bond architecture only once per type
- ▶ load architecture to shared GPU memory
- ▶ OpenACC: automatically

trade off

- ▶ complex storage
- ▶ reduced flexibility
- ▶ large molecule become complicated (networks)

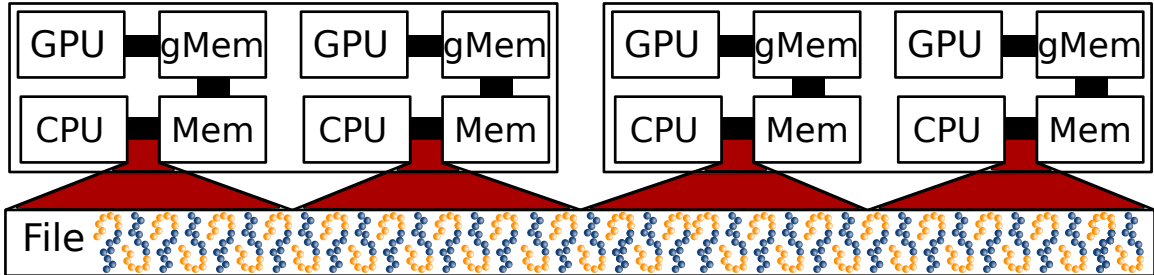
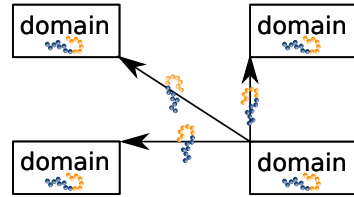
Large systems require parallel IO

- ▶ HDF5 hides MPI-IO which hides the hardware
- ▶ HDF5 is widespread and fits in many pipelines
- ▶ enables handling files $>$ memory
- ▶ domain decomposition requires 2nd communication



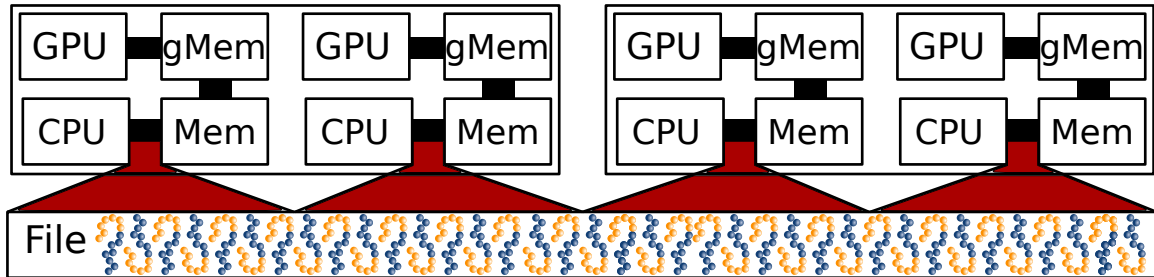
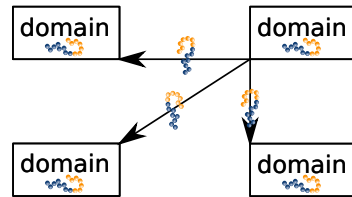
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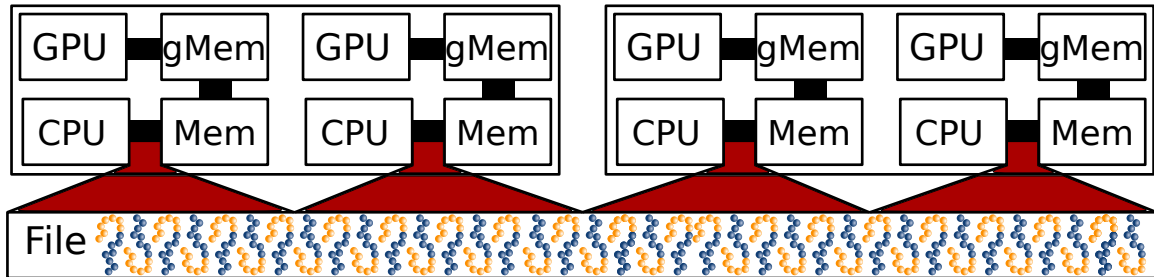
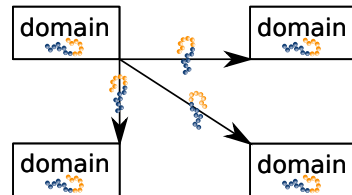
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Overview

1 How to model and simulate engineering scale polymer melts?

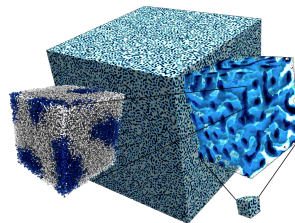
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- Slow, weak interactions via fluctuating fields
- Parallel hierarchy for strong interactions
- Detours: implementation quirks

2 Large-scale metastable networks: battery electrolytes

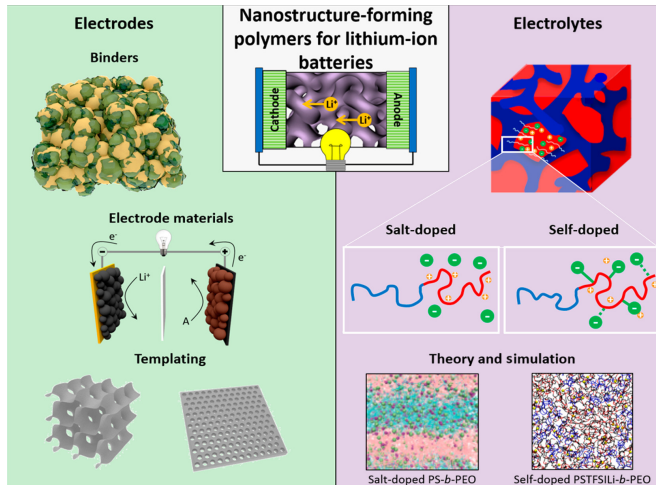
- Goals for electrolyte materials
- Percolating network structures
- Diffusive transport properties

3 Next steps: modular computing

- Dedicated analysis server



Next generation of polymeric lithium ion batteries



Goals

- ▶ ion conductivity
- ▶ mechanical stability

Diblock copolymer materials

- ▶ self-assembled nanostructures
- ▶ block A: conductivity
- ▶ block B: stability

M. A. Morris, H. An, et al., ACS Energy Lett. 2, 1919–1936 (2017)

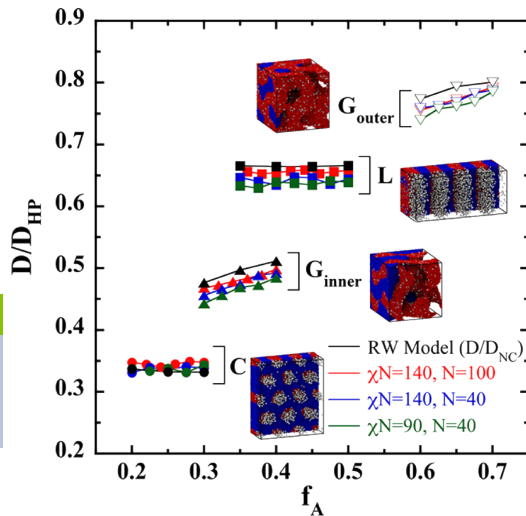
Ion transport in polymer electrolytes

- ▶ polymer electrolytes: conduction of ions
- ▶ recently investigations
Shen et.al., Alshammasi et.al., and Zhang et.al.
- ▶ investigations of molecular details
- ▶ interface roughness effects
- ▶ equilibrium morphologies

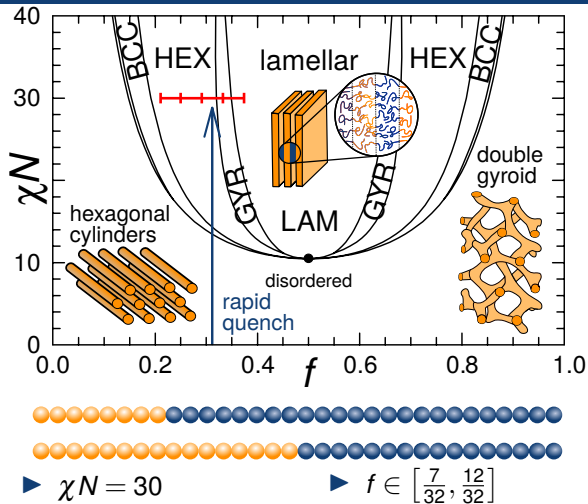
In this talk!

- ▶ effect of large-scale morphologies
- ▶ non-equilibrium meta-stable states

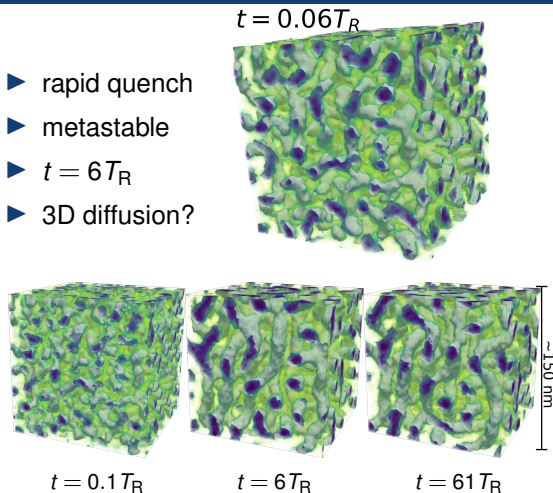
K.-H. Shen, J. R. Brown, et al., *ACS Macro Letters* **7**, 1092–1098 (2018)
 M. S. Alshammasi and F. A. Escobedo, *Macromolecules* **51**, 9213–9221 (2018)
 Z. Zhang, J. Krajniak, et al., *ACS Macro Letters* **8**, 1096–1101 (2019)



Metastable network phases



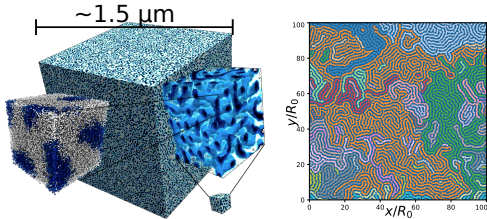
- ▶ rapid quench
- ▶ metastable
- ▶ $t = 6T_R$
- ▶ 3D diffusion?



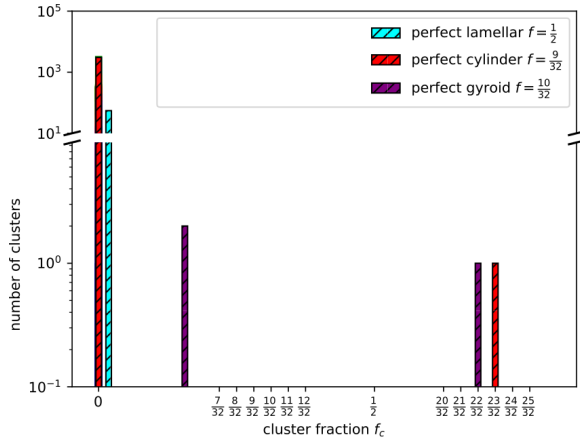
adapted from M. W. Matsen, J. Phys: Condens. Matter **14**, R21 (2001)

L. Schneider and M. Müller, Macromolecules **52**, 2050–2062 (2019)

3D network structures for conductivity and stability

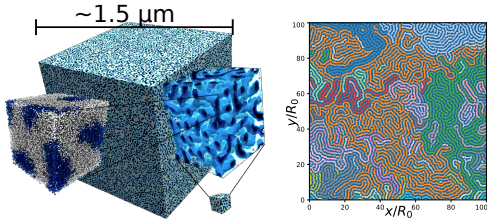


- ▶ non-periodic network structures
- ▶ $\approx 4.1 \cdot 10^9$ particles
- ▶ engineering scale: $L = 0.8\text{-}2.7 \mu\text{m}$
- ▶ A-phase: omnidirectional diffusion
- ▶ B-phase: mechanical stability

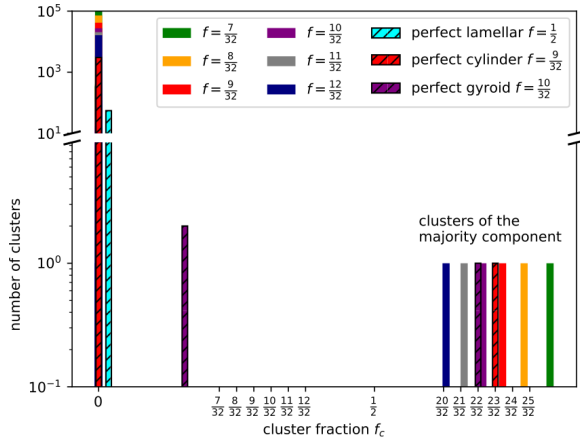


- ▶ $f > \frac{7}{32}$: 3D percolating cluster for A and B

3D network structures for conductivity and stability

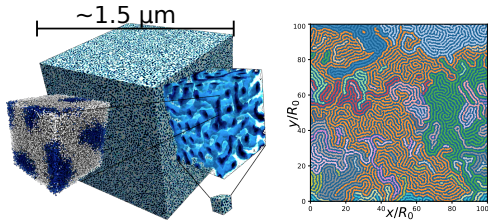


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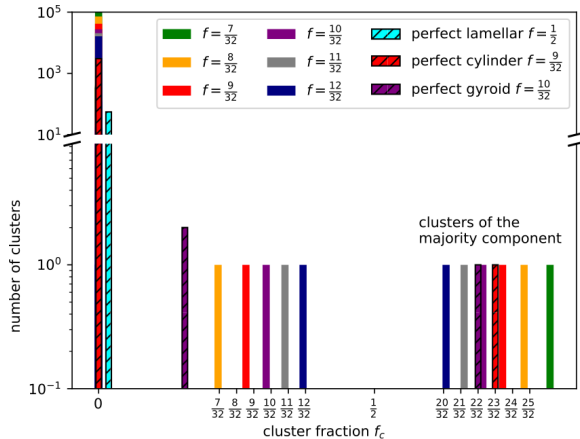
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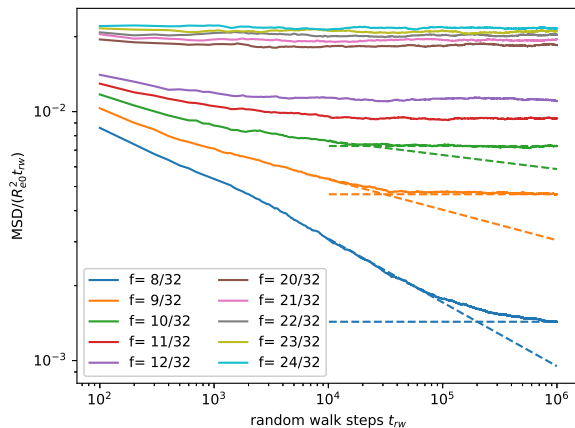
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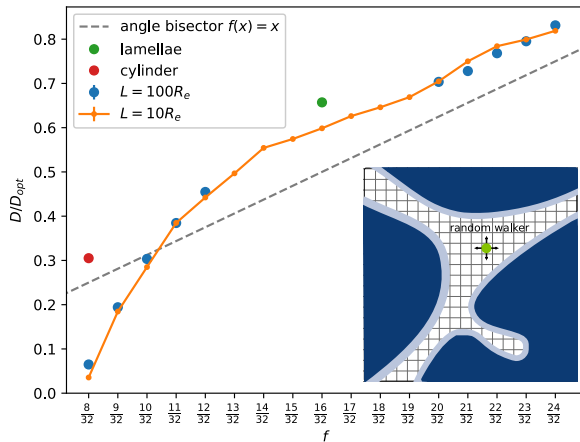


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Diffusive ion transport



► subdiffusion for $\sqrt{MSD} < (18 \pm 1)R_{e0}$



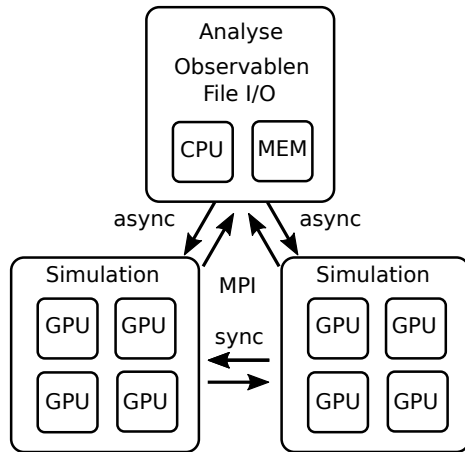
► linear for $f > 1/2$

► decrease for $f < \frac{13}{32}$

Continuous 3D transport of ions!

Dedicated analysis server

- ▶ large check-point files ($\approx 100\text{GB}$) unsuitable for analysis
- ▶ solution: on-the-fly analysis
- ▶ problem: simulation resources idle during analysis
- ▶ idea: dedicated analysis server
- ▶ simulation snapshot sent via asynchronous MPI
- ▶ analysis and simulation parallel on different resources
- ▶ easy extension of the analysis server
 - ▶ GPU parallel not necessary



Summary

Coarse-grained models

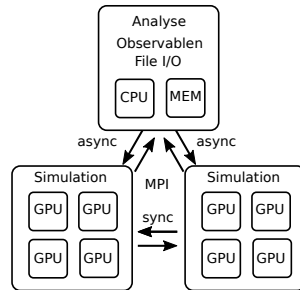
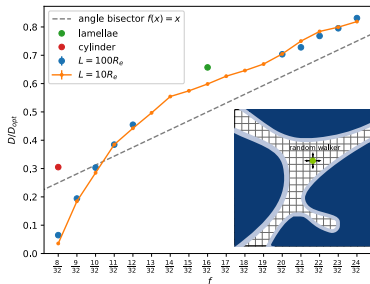
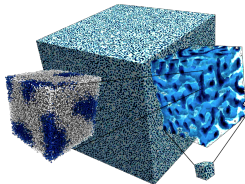
- ▶ parallel smart-MC
- ▶ implemented for GPUs

Battery electrolytes

- ▶ metastable networks
- ▶ 3D conductivity

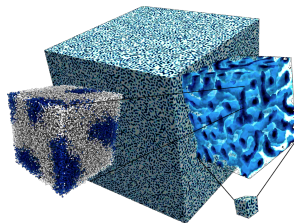
Outlook

- ▶ dedicated analysis server
- ▶ other GPU manufacturers?



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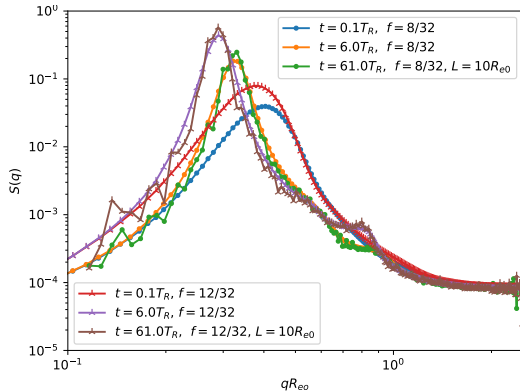
References I

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-  K. C. Daoulas and M. Müller, J. Chem. Phys. **125**, 184904 (2006).
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-  M. A. Morris, H. An, et al., ACS Energy Lett. **2**, 1919–1936 (2017).
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References II

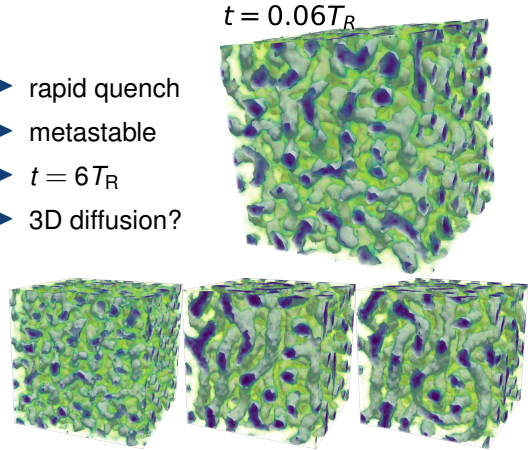
-  L. Schneider and M. Müller, *Macromolecules* **52**, 2050–2062 (2019).
-  D. Ben-Avraham and S. Havlin, Cambridge university press, (2000).
-  H. J. Heijmans, *SIAM review* **37**, 1–36 (1995).

Metastable network phases



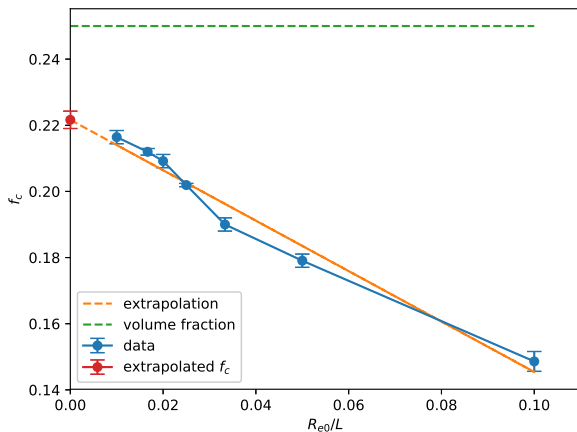
structure factor $S(|\mathbf{q}|)$

- ▶ rapid quench
- ▶ metastable
- ▶ $t = 6T_R$
- ▶ 3D diffusion?

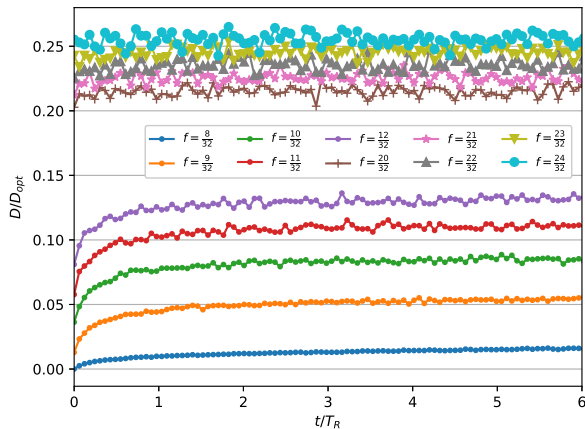


$t = 0.1T_R$ $t = 6T_R$ $t = 61T_R$
 L. Schneider and M. Müller, *Macromolecules* 52, 2050–2062 (2019)

Finite-size effect for cluster fraction f_c

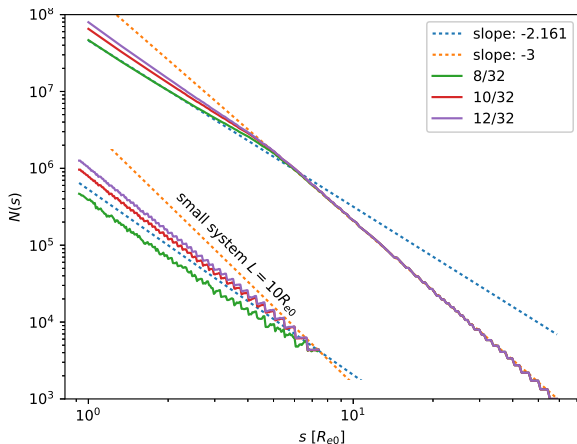


► systematic finite-size effect: $f_c = f_c^* - \alpha/L$



► convergences to plateau after coarsening

Space-filling characteristics of 3D network structures



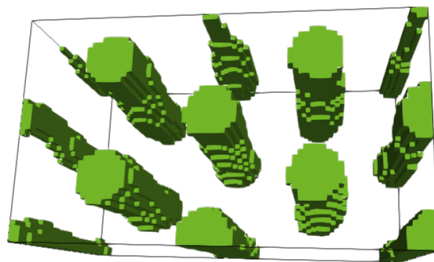
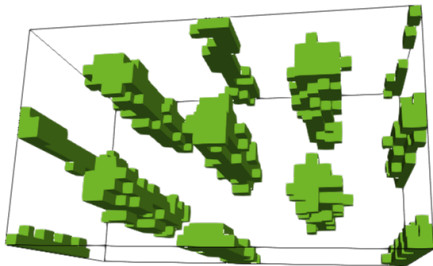
- ▶ not space-filling $s < s^* \approx (5.4 - 6.4)R_{e0}$
- ▶ space-filling on large length scales
- ▶ characteristics of an overcritical cluster
- ▶ simulations of large sizes required

Box counting algorithm

- 1 divide system if box of length s
 - 2 count boxes that contain structure $N(s)$
- ▶ $N(s) \propto s^{-d_f}$ fractal dimension

D. Ben-Avraham and S. Havlin, Cambridge university press, (2000)

Grid smoothing for diffusion analysis



1 time average to reduce fluctuations

2 increase grid resolution

3 apply opening $\circ$ and closing $\bullet$

▶ $\rho \circ s = (\rho \ominus s) \oplus s$

▶ $\rho \bullet s = (\rho \oplus s) \ominus s$

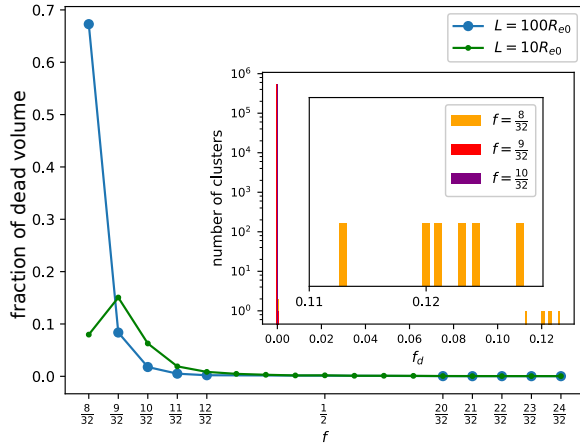
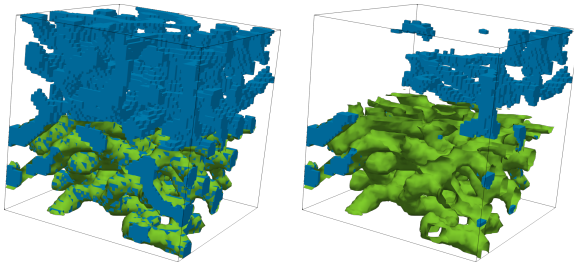
$$(\rho \ominus s)(r) = \inf_{r' \in s} [\rho(r + r') - s(r')]$$

$$(\rho \oplus s)(r) = \sup_{r' \in s} [\rho(r) - s(r - r')]$$

H. J. Heijmans, SIAM review **37**, 1–36 (1995)

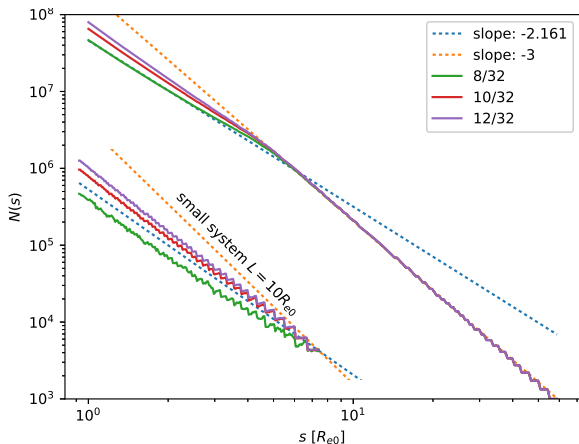
Dead-end analysis

- ▶ diffusion $\neq$ directed transport
- ▶ dead-ends in network structures
- ▶ impact on small volume fractions f
- ▶ underestimated by small simulations



L. Schneider and M. Müller, *Macromolecules* **52**, 2050–2062 (2019)

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