MSA SEMINAR: GPUS

Topics and Talks

• Today (5 May):

Scaling Lattice QCD on many GPU Nodes of JUWELS (Eric Gregory, JSC, and Mathias Wagner, NVIDIA)

• Next (19 May):

Plasma Physics with PlConGPU – Lessons learned from 10 years of living with the HPC hardware zoo (Michael Bussmann, HZDR)

- → <u>https://fz-juelich.de/ias/jsc/msa-seminar</u>
- → <u>https://fz-juelich.de/ias/jsc/msa-seminar-slides</u>



- After that:
 - ParFlow
 - GROMACS
 - Deep Brain
 - JUWELS Booster



ONLINE WEBINAR SETUP

Topics and Talks

- Webcams disabled to preserve bandwidth
- Questions welcome
 - During talk: As messages in chat
 - After talk: Everyone will be able to unmute themselves and ask; indicate by raising hand to be called

• This is new for us, feedback welcome!





LATTICE QCD ON JUWELS GPUS

May 5, 2020 | Eric B. Gregory | JSC



Member of the Helmholtz Association

OVERVIEW

- Quarks & gluons
- Lattice QCD basics
- LQCD community software
- QUDA
- Experience with LQCD on Juwels GPUs



QUANTUM-CHROMODYNAMICS (QCD)





QUANTUM-CHROMODYNAMICS (QCD)













Proton is a *hadron*, a particle made of quarks bound together by the strong force.







- Quarks
 - Spin

 - Electric charge $+\frac{2}{3}/-\frac{1}{3}$ Color charge (R B G)







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 color anti-charge (R B G)
- Quantum fluctuations

















"Color-confinement"











 $2 imes \textit{M}_{
m up}$

 $+M_{\rm down}$









 $\begin{array}{ll} 2\times \textit{M}_{\rm up} & +\textit{M}_{\rm down} \\ 2\times (2.2~{\rm MeV}) & +(4.7~{\rm MeV}) & \approx 9~{\rm MeV} \end{array}$

But ...

 $M_{
m proton} = 938 \, {
m MeV}$





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To understand properties of hadrons, we must take quantum fluctuations into effect.





Properties of hadrons

- mass
- internal structure
- decay probabilities
- ····



Properties of hadrons

- mass
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-
- Existence of un-observed states



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- Existence of un-observed states
- BIG QUESTION:

Does

$$\{\text{experiment}\} - \{\text{theory}\} \stackrel{?}{=} 0$$



Properties of hadrons

- mass
- internal structure
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• ...

- Existence of un-observed states
- BIG QUESTION:

Does

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Physics beyond the Standard Model?



In the continuum:

$$S_{
m QCD} = \int d^4x rac{1}{4} F^a_{\mu
u} F^a_{\mu
u} + \sum_f \int d^4x \overline{\psi}_f(x) \left(i\gamma_\mu D_\mu - m_f\right) \psi_f(x) = S_G + S_F$$



In the continuum:

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Depend on gluon fields.



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Fermionic part – depends on quark fields ψ , $\overline{\psi}$



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We calculate physical quantities by "path-integral" formulism:

$$\left\langle \mathcal{O} \right\rangle = rac{\int \mathcal{D}\left[\overline{\psi},\psi\right] \mathcal{D}\left[\mathbf{A}
ight] \mathcal{O}\mathrm{e}^{-i\mathbf{S}\left[\overline{\psi}\psi\mathbf{A}
ight]}}{\int \mathcal{D}\left[\overline{\psi},\psi\right] \mathcal{D}\left[\mathbf{A}
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Perform non-perturbative calculation for a universe that

- is finite in size (with some boundary conditions)
- is discrete (Lattice!)
- has imaginary time $t \longrightarrow it$





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- is finite in size (with some boundary conditions)
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*Necessary mathematical trick — allows calculation of *some* quantities.





QCD ON THE LATTICE





QCD ON THE LATTICE

Quark fields \(\phi(x)\) live on lattice sites
 3 (or 3 \times 4)-component, complex:

$$\phi(\boldsymbol{x}) = \left(\begin{array}{c} \phi_0\\ \phi_1\\ \phi_2 \end{array}\right)$$





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■ Gauge fields U_µ(x) = exp(iagA(x)) live on links: (3×3)-component, complex

$$U_{\mu}(x)=\left(egin{array}{cccc} U_{00} & U_{01} & U_{02} \ U_{10} & U_{11} & U_{12} \ U_{20} & U_{21} & U_{22} \end{array}
ight)$$



ŵ



The continuum action term

$$S_F = \sum_f \int d^4x \overline{\psi}_f(x) \left(i \gamma_\mu D_\mu - m_f\right) \psi_f(x)$$

contains derivative which are discretized, e.g.:

$$\mathcal{S}_{F} = \sum_{f} \sum_{xy} \overline{\phi}_{x}^{f} \left(\gamma_{\mu} \mathcal{D}_{\mu} + m_{f}
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Slide 12



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$$M_{xy}[U] = \sum_{\mu=0}^{3} \frac{1}{2a} \left(U_{\mu}(x) \delta_{x+a\hat{\mu},y} - U_{-\mu}(x) \delta_{x-a\mu,y} \right) + \delta_{xy} m$$



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• Very large (dim $\sim 10^7$ —10⁸), sparse



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- Very large (dim $\sim 10^7$ —10⁸), sparse
- Major steps in LQCD workflow require solving $\phi_x = M_{xy}^{-1} \psi_y$



 Generate an ensemble of *lattice* gauge configurations with statistical weight

$$e^{-\tilde{S}[U]} = \det M[U]e^{-S_g[U]}$$





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- measure some operator O_i on each configuration i
- Average of measurements is Euclidean path intergral calculation of expectation value

$$\langle \mathcal{O} \rangle = \frac{1}{N} \sum_{i}^{N} \mathcal{O}_{i} \exp \left[-\tilde{S}_{\text{Euc}} \left\{ U_{i} \right\} \right]$$





 Generate an ensemble of *lattice* gauge configurations with statistical weight

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 $\langle \mathcal{O} \rangle = \frac{1}{N} \sum_{i}^{N} \mathcal{O}_{i} \exp \left[-\tilde{S}_{\mathrm{Euc}} \left\{ U_{i} \right\} \right]$

In the limits $N \longrightarrow \infty$, $L \longrightarrow \infty$, $a \longrightarrow 0$ this is equivalent to the path integral:

$$\langle \mathcal{O} \rangle = \frac{1}{Z} \int \mathcal{D}[\overline{\psi}, \psi, A] \mathcal{O}(\overline{\psi}, \psi, A) \mathrm{e}^{-iS_{\mathrm{QCD}}[\overline{\psi}, \psi, A]}$$



Stack of codes and libraries designed to provide common functionality, optimized for a wide range of HPC architecture.



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 $\longleftarrow \text{Message passing}$



Stack of codes and libraries designed to provide common functionality, optimized for a wide range of HPC architecture.

QDP-JIT	QDP++				
QMP					

$\leftarrow \text{Data-parallelism}$



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QDP-JIT	QDP++	QIO	← I/C
	QMP]



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QUDA			
QDP-JIT	QD	P++	QIO
	QI	MP	

 $\longleftarrow \textbf{Solvers}$



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QUDA		QPHIX	
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QLUA				
QUDA			QPHIX	(
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QMP				



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QLUA	CPS					
QUDA				QPHI)	(
QDP-J	JIT	QDF				QIO
QMP						



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QLUA	CPS	TMLQC	D		
QUDA				QPHIX	(
QDP-J	JIT	QDP+-	-		QIO
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QLUA	CPS	TMLQCD		Ν	/ILC	
QUDA					QPHI	(
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QLUA	CPS	TMLQCD		N	1ILC	CHROMA
QUDA					QPHI)	(
QDP-J	JIT	QD	P++			QIO
QMP						



INSTALLED SOFTWARE

On JUWELS, Chroma is installed with:

MPI	QDP	Solver
MVAPICH2	qdp-jit	QUDA
MVAPICH2	qdpxx	QUDA
PS-MPI	qdp-jit	QUDA
PS-MPI	qdpxx	QUDA
PS-MPI	qdpxx	QPHIX (AVX512)

On JURECA, Chroma is installed with:

MPI	QDP	Solver
PS-MPI	qdpxx	QPHIX (AVX2)
PS-MPI	qdpxx	QPHIX (AVX512)

- Load Stages/Devel-2019a stages to test
- Request activation of features, other simulation codes, complaints $\longrightarrow {\sf Eric}$
- or request installation scripts from Mathias, Eric



MODULAR SUPERCOMPUTING

In development: QMOD library interface designed for

- LQCD task-parallelism across different architectures
- exchange of lattice data structures between separate communicators
- lattice field I/O \longrightarrow intercommunicator data exchange

Example application: group of nodes of one architecture solves quark matrix system, passes solutions (propagators) to a separate hardware group which begins assembling them into multi-nucleon correlation functions.



And now to Mathias...



Member of the Helmholtz Association

Some results and experiences



Member of the Helmholtz Association

SOLVER STRONG SCALING COMPARISON

 $32^3\times 64$ lattices





HMC THROUGH-PUT COMPARISON



SPECTROSCOPY EXPERIENCE

Determine hadron masses

- Use QUDA solver
- pass solutions of $y = M^{-1}x$, to Chroma's generic "hadron-spectroscopy" routine
- solution vectors are joined in a element-wise products "contractions" similar to scalar product

Problem:

• contractions are *Memory intensive*!!! — did not fit on 4 nodes of GPU memory

Solution:

- Compile CHROMA with QUDA, but qdpxx, rather than qdp-jit
- Contractions remain on CPU
- ${\color{black}\bullet}\sim 3\times$ as much memory on host as in the associated 4 GPUs

CONCLUSIONS

- Lattice QCD community software maps physics problems to hardware in an optimized yet flexible way.
- QUDA solver library makes Juwels GPU nodes ideal platform for LQCD
- Solver performance on Juwels GPU node \sim 60 \times faster than KNL node.
- Focus on fine-tunining placement of calculation elements on optimal hardware in an heterogeneous system.

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- Focus on fine-tunining placement of calculation elements on optimal hardware in an heterogeneous system.
- Stay healthy!

